## CURRICULUM PLAN 2022-23 (Odd Semester)

B. Sc. (HONS.) PHYSICS, Semester V

Name of Teacher: Prof. Pushpa Bindal

| Name of Paper \& Code | Allocation of Lectures | Month wise schedule followed by the Department | Tutorial/Assignmen t/Presentation etc. |
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| PAPER -DSE: ADVANCED MATHEMATICAL PHYSICS-I |  |  |  |
| Unit 1 | 12 lectures | Jul-Aug |  |
| Linear Vector Spaces Abstract Systems: Binary Operations and Relations. Introduction to Groups and Fields. <br> Vector Spaces and Subspaces. Linear Independence and Dependence of Vectors. Basis and Dimensions of a Vector Space. Change of basis. Homomorphism and Isomorphism of Vector Spaces. Linear Transformations. Algebra of Linear Transformations. Non-singular Transformations. Representation of Linear Transformations by Matrices. |  |  | Linear <br> Transformations |
| Unit 2 <br> Matrices, Addition and Multiplication of Matrices: Null Matrices. Diagonal, Scalar and Unit Matrices. Upper- Triangular and Lower-Triangular Matrices. Transpose of a Matrix. Symmetric and SkewSymmetric Matrices. Conjugate of a Matrix. Hermitian and Skew-Hermitian Matrices. Singular and NonSingular matrices. Orthogonal and Unitary Matrices. Similar Matrices. Trace of a Matrix. Inner Product. | 8 lectures | Aug-September | Problems on matrices, Assignment |
| Unit 3 <br> Eigen-values and Eigenvectors: Finding Eigen values and Eigen vectors of a Matrix. Diagonalization of Matrices. Properties of Eigen-values and Eigen Vectors of Orthogonal, Hermitian and Unitary Matrices. Cayley-Hamiliton Theorem (Statement only). Finding inverse of a matrix using Cayley-Hamiltion Theorem. Use of Matrices in Solving ordinary second order differential equations and Coupled Linear Ordinary Differential Equations of first order. | 10 lectures | September | Problems on matrices, Assignment |


| Functions of a Matrix. |  |  |  |
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| Unit 4 <br> Cartesian Tensors: Transformation of Co-ordinates and fundamentals of Tensors. Einstein's Summation Convention. Relation between Direction Cosines. Algebra of Tensors: Sum, Difference and Product of Two Tensors. Contraction. Quotient Law of Tensors. Symmetric and Anti-symmetric Tensors. Invariant Tensors: Kronecker and Alternating Tensors. Association of Anti-symmetric Tensor of Order Two and Vectors. | 8Lectures | Sep-October | Related Problems \& numericals. |
| Unit 5 <br> Applications of Cartesian Tensors: Vector Calculus using Cartesian Tensors: Scalar and Vector Products of 2, 3, 4 vectors. Gradient, Divergence and Curl of Tensor Fields. Tensor notation of Laplacian operator. Proof of Vector Identities involving scalar and vector products and vector identities involving Del operator using Tensor notation. Isotropic Tensors (Definition only). Tensorial Character of Physical Quantities. Moment of Inertia Tensor. Stress and Strain Tensors: Symmetric Nature. Elasticity Tensor. Generalized Hooke's Law. | 12 lectures | Oct-November | Related numericals. Internal Assesssment |
| Unit 6 <br> General Tensors: Transformation of Co-ordinates. Contravariant \& Covariant Vectors. Contravariant, Covariant and Mixed Tensors. Kronecker Delta and Permutation Tensors. Algebra of Tensors. Sum, Difference \& Product of Two Tensors. Contraction. Quotient Law of Tensors. Symmetric and Antisymmetric Tensors. Metric Tensor in cartesian, cylindrical, spherical coordinates. | 10 lectures | November | Related numericals. Internal Assesssment |

